

# Does it pay to medicate half of Britain?

## Assessing the Value of Primary Prevention of Cardiovascular Diseases in England

Paul Rodriguez Lesmes

Department of Economics  
University College London

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## This project

The main goal of this project is to quantify the benefit derived from adoption of a health care technology

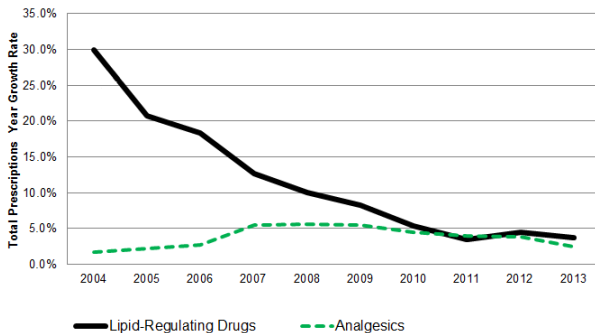
## Debate around Statins for Primary Prevention

- Cardiovascular diseases (CVD) are heavy burden for health care systems
  - Development of therapies as lipid-lowering medication
- Debate on adoption of technologies for primary prevention (avoid CVDs for the first time)

*Prescribing statins to millions more healthy people would make only a minimal difference to their average lifespan but risk exposing thousands to harmful side effects, a leading doctor has claimed. (Telegraph)*

*Some experts have claimed that all over-50s should take the drugs routinely to lower their levels of "bad" LDL cholesterol and protect against heart attacks and strokes. (Telegraph)*

# Statins prescriptions in England



**Data Source:** Prescriptions Dispensed in the Community, Statistics for England

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## Pay for performance and primary prevention

- Family doctors (GPs) are free to diagnose and prescribe according to their criteria
- NICE 2006: statins should be used for primary prevention in the UK
- Quality and Outcome Frameworks: pay GPs in order to homogenize certain procedures
- Since 2009, for assessing risk of developing CVDs using standard risk calculators
  - **Preliminary results:** An incentive of 100£ increased 2-year prescription rate of Statins by 3pp., among those without a diagnosed CVD-disease

# This Project

The main goal of this project is to quantify the benefit derived from adoption of a health care technology

- Estimate the willingness-to-pay for the adoption technology (financial incentives)
- This requires to estimate
  - .. the effect of CVDs on utility via consumption and leisure
  - ... the effect of CVDs on the leisure-cost of working, labour productivity and on non-labour income
  - ... the reduction on CVD-risk due to the policy
- This is done by structurally estimating a model that involves all these components

## Context

- Papageorge (2015): estimate the value of the introduction of anti-retroviral therapy for men HIV+
- Health, health expenditures, bequest motive, wealth and labour market (De Nardi, 2004; French and Jones, 2009)
- Cost-benefit analysis (Ward et al., 2007)
- Modelling health investments for 'prevention' and in 'treatment' of diseases (Ozcan, 2014)
- *This a work in progress, therefore any suggestions are more than welcome!*

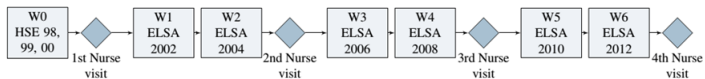
# Outline

- 1 Introduction
- 2 Data
- 3 Life-cycle model with CVD-progression
- 4 QOF and primary prevention of CVDs
- 5 Willingness-to-pay calculations
- 6 Summary



# Data

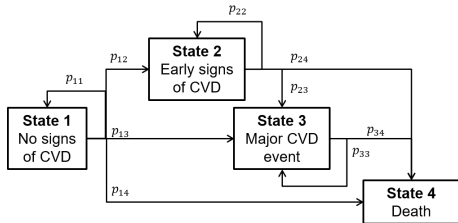
- Use the *English Longitudinal Study of Ageing*



- Representative sample of England's population aged 50+
- Rich data on health and financial circumstances
- Data for males. Cohort-Health and family size effects are removed for non-housing assets, part/full-time labour, earnings per hour and non-labour income

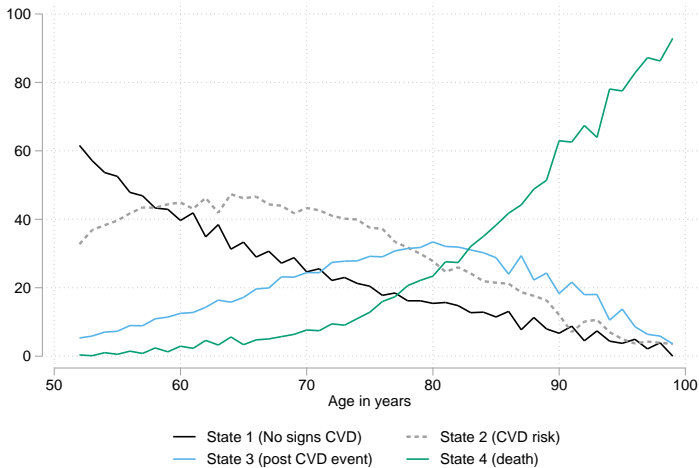
# Model sketch I

- Finite-Horizon Life-cycle model
- Health Status (S): no signs of CVD, in risk of a CVD event, major CVD event, death
  - Risk: hypertension, diabetes type 2, high cholesterol
  - CVD: Stroke, Congestive Heart Failure, M Infarction, Angina
  - Markov-model
- Production of CVD-risk index (H): risk of developing CVD affects  $p_{ij}$



$$P_{t,t+1} = \begin{pmatrix} p_{11} & p_{12} & p_{13} & p_{14} \\ 0 & p_{22} & p_{23} & p_{24} \\ 0 & 0 & p_{33} & p_{34} \\ 0 & 0 & 0 & p_{44} \end{pmatrix}$$

# Model sketch II



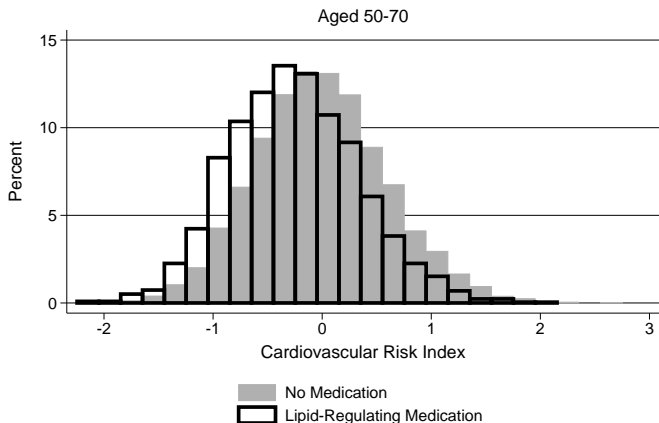
ELSA data profiles for individuals aged 50 to 100.

# CVD-risk index I

- Summarize biomarkers that are related to CVDs into a single index
- A continuous index is constructed using factor analysis
- Variables included:
  - Systolic BP
  - Diastolic BP
  - Total Cholesterol
  - Non-HDL Cholesterol ← *Statins reduce this*

## CVD-risk index II

Statins reduce in 1mmol/L LDL cholesterol (CTT,2012), an element that is reflected in the index using ELSA data



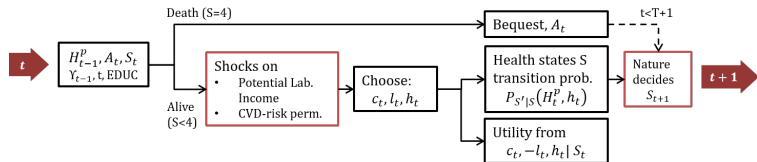
## CVD-risk index III

- The index is modelled as composed by a transitory and a permanent component.
- The effect of medication is transitory
- Lifetime investments (diet, smoking, etc.) are reflected on initial heterogeneity on the permanent component

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# Choices

- Consumption  $c_{it}$ , labour supply  $l_{it}$  (0,PT,FT), medication  $h_{it} \in \{0, 1\}$ .
- Medication has a cost, associated with local primary care
- Bequest motive  $b(A_{it})$  which depends on assets



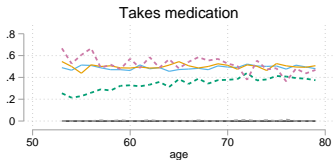
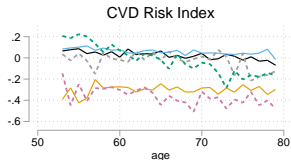
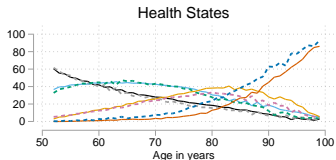
- CVD has 3 main effects:
  - Increase the marginal disutility of working
  - Wage per hour (productivity)
  - Modify non-labour income of the household (external transfers)

## Estimation of model's parameters

- 1 Adjusted profiles are obtained in order to derive moments
- 2 Initial conditions for the simulations (assets, CVD-risk index, initial health states, potential earnings and non-labour income)
- 3 Use SMM for comparing the estimated data profiles and the ones calculated over the simulated dataset using the model
  - Calibrate some parameters from literature and get initial values from reduce form estimates of earnings and non-labour income
  - Given a set of parameters, simulate the profiles and compare against the real ones



# Some simulations: health evolution

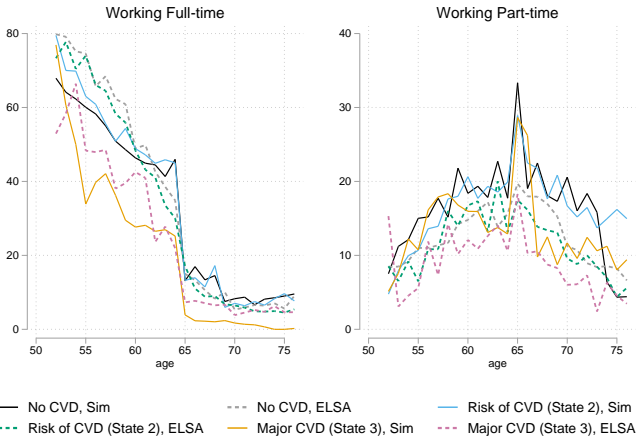


— State 1, Sim    - - - State 1, ELSA    — State 2, Sim    - - - State 2, ELSA  
 — State 3, Sim    - - - State 3, ELSA    — State 4, Sim    - - - State 4, ELSA

State 2: high risk of CVD, State 3: CVD, State 4: death  
 Cohort, unemployment and family size effects were removed from ELSA profiles (age>52).

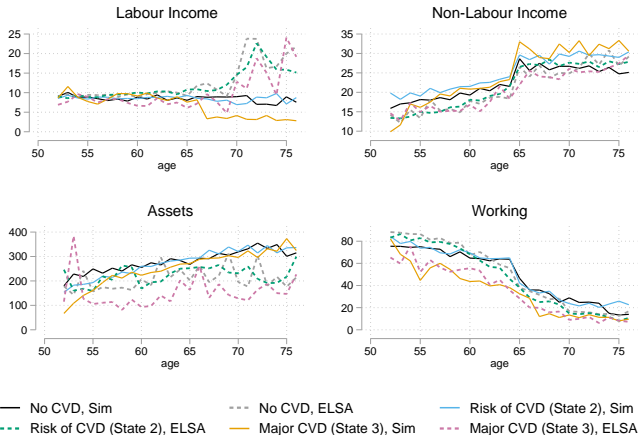
# Some simulations: labour supply

Burden of CVD illness for FT work: 23 hours. For PT: 13 hours. [▶ More](#)



Cohort, unemployment and family size effects were removed from ELSA profiles.

# Some simulations: households' finances

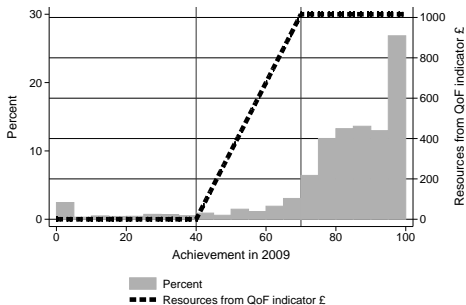


Cohort, unemployment and family size effects were removed from ELSA profiles.

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# Policy: QOF and primary prevention of CVDs

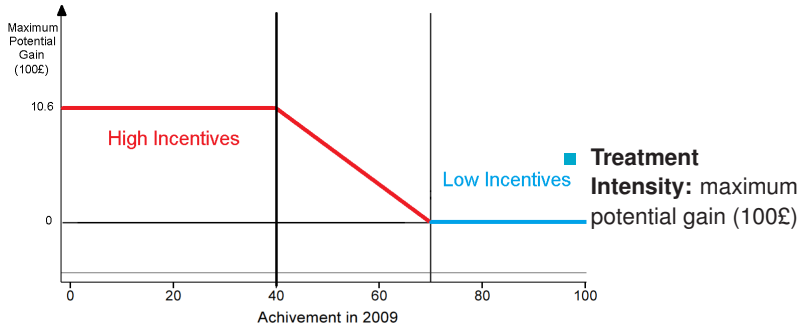


- Payment according to achievement in the indicator:

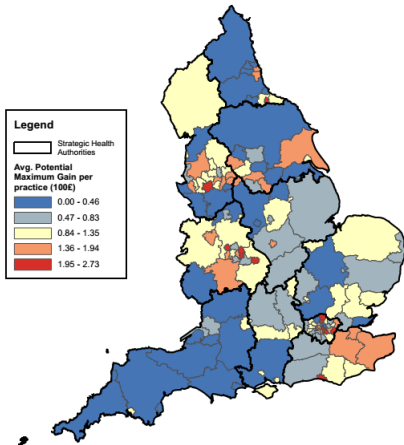
$$P = \frac{\text{Formal CVD risk assesment}}{\text{Patients newly diagnosed with HBP}}$$

- 15%(6%) of the 8213 practices with at least 1 new case of hypertension obtained an achievement below 70%(40%) in 2009

# Treatment Intensity



# Potential gains: PCT level



- Potential Gains from QOF indicate the incentives for modifying primary prevention procedures in a region
- Estimate the effect of the program on primary prevention prescriptions by comparing low and high performance areas
- ELSA data was linked by postcode to the QOF data at PCT level

Source: Own calculations from Quality Management and Analysis System data on the Quality and Outcomes Framework at GP practice level for 2009/10. Data was aggregated according to 2012 PCT boundaries (ONS).

## Intervention II

- Compare the odds to be under statins for people living in areas ( $r$ ) where GPs have high incentives for improving health care (high  $PG_r$ ), with those in areas with low incentives
- Outcome  $Y_{ir,t} - Y_{ir,t-2}$ : 2 years variation on the usage of statins, for those not diagnosed with CVDs at  $t$
- Control for regional trends prior to the introduction of the policy, and for time effects
- Impact captured by  $\alpha_2$

$$Y_{ir,t} - Y_{ir,t-2} = \alpha_1 PG_r + \alpha_2 PG_r \cdot \mathbb{1}\{t = 10\} + \alpha X_{ir,t-2} + d_{t=10} + u_{irt}$$

$$t \in [08, 10]$$

- **Results:** A potential gain of 100£ increased primary prevention usage of statins by 2pp.



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## Welfare Analysis

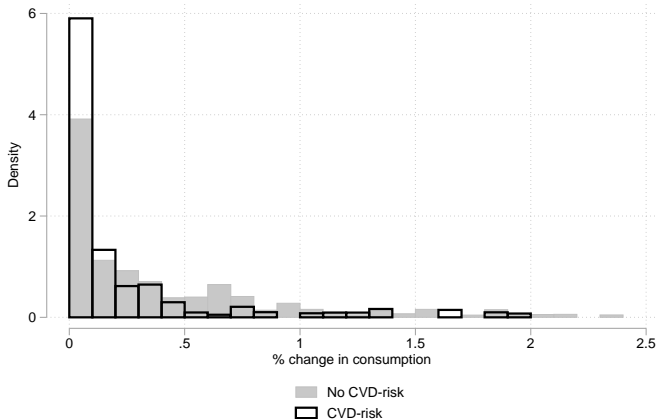
- For each simulated individual, calculate the willingness to pay in order to be indifferent between the worlds with the policy and without the policy ( $G = 1, G = 0$ ).
- The policy is assumed to modify the cost of taking medication  $h$

$$\pi_i \in \operatorname{argmin} \left| E_0 \sum_{t=\tau_i}^T \beta^t U(l_{it}, c_{it} | S_{it}, G_{it}) - E_0 \sum_{t=\tau_i}^T \beta^t U(l_{it}, (1 - \pi_i)c_{it} | S_{it}, 0) \right| \quad (1)$$

- The benefit of the policy on individuals' welfare is  $\sum_j \pi_{ij}$

# Current version willingness to pay

*Very preliminar!*



Estimated values for each individual in a simulated dataset of 10,000 individuals of age 50.  
CVD-risk: diagnosed with high blood pressure, diabetes or high cholesterol.

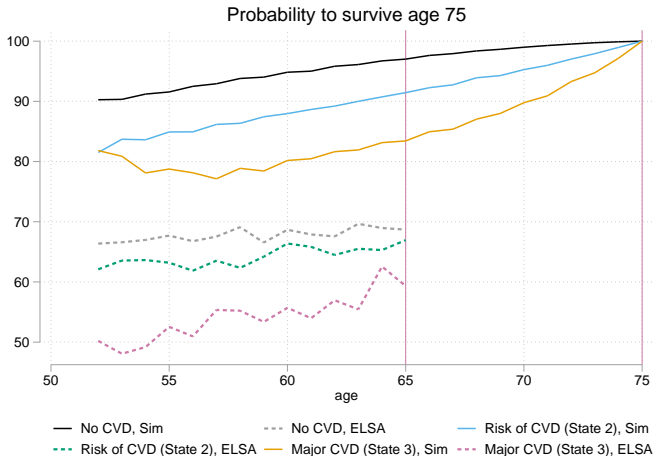
# Summary

- This project
  - Estimates the effect of CVDs on consumption, labour supply and asset accumulation in England
  - Estimates the impact of financial incentives on adoption of statins for primary prevention of CVDs
  - Estimates the willingness-to-pay for such policy

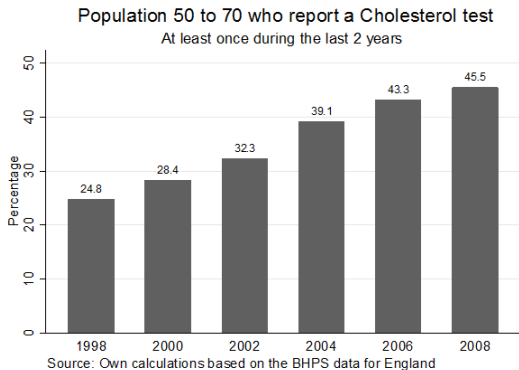
Thank you very much!

# Subjective Survival Probabilities

Which is the right assumption for the mortality process?



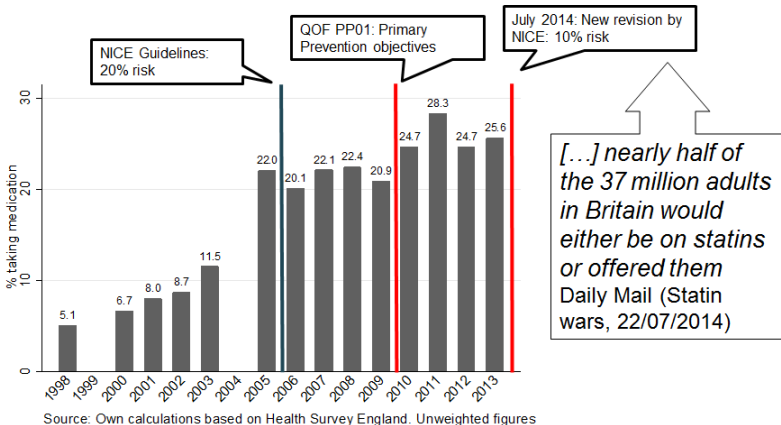
# Cholesterol tests



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# Statins adoption

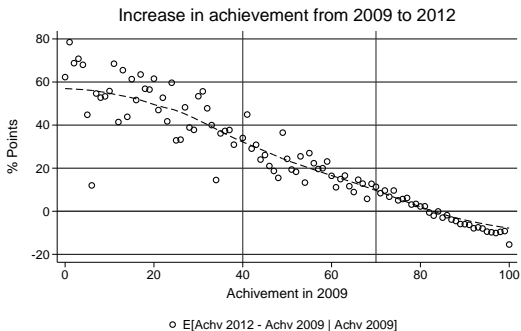
% of individuals aged 50-70 under lipid-lowering medication



NICE: National Institute for Health and Care Excellence



# Intervention II



- **Treatment Intensity:** maximum potential gain (100£)
- On average, those practices gained the points that they needed to obtain full payment

# Results

Table 4: Potential gains from QOF PP01, according to 2009 achievement and Medication and CVD status

Includes individuals aged 50 to 70 interviewed in 2008/09 without history of CVD by 2006/07, or for those interviewed in 2010/11 without history of CVD by 2009/10

Dependent: two years variation on

	lipidpill	bppill	healthS2	healthS3	healthS4
<b>Panel A: Main Results</b>					
Pot. Gains	-0.010 (0.011)	-0.007 (0.009)	-0.001 (0.009)	-0.010** (0.004)	0.003* (0.002)
Pot. Gains 2010	0.033** (0.014)	0.024** (0.012)	0.018 (0.013)	0.012** (0.006)	-0.002* (0.001)
Observations	4861	4863	4862	4862	4862
Individuals	3726	3728	3727	3727	3727
R squared	0.034	0.037	0.027	0.009	0.005

Own calculations using data for males from ELSA waves 3 to 5 and QoF data at PCT level.

Clustered at individual level SE in parenthesis. Significance Level: 1% \*\*\*; 5% \*\*; 10% \*.

# Utility

$c$ : consumption

$\ell$ : leisure

$l$ : labour supply in hours (FT=40, PT=20)

$A$ : assets

$S$ : health states

$$U = u(l_{it}, c_{it}, h_{it} | S_{it}) = \frac{(c_{it}^\eta \ell_{it}^{1-\eta})^{1-\gamma}}{1-\gamma} + \phi_3 h_{i,t} \quad \text{if } S_{it} < 4 \quad (2)$$

$$\ell_{it} = \Psi - l_{it} - \theta_P * FT - (\phi_1 + \phi_2 * FT) * (S_{it} = 3) * (l_{it} > 0)$$

$$U = b(A_{it}) = \theta_B \frac{(A_{it} + \theta_K)^{(1-\gamma)\eta}}{1-\gamma} \quad \text{if } S_{it} = 4 \quad (3)$$

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# Asset Accumulation and Income I

## ■ Assets evolution

$$\frac{A_{i,t+1}}{1+r} = A_{i,t} + y_{i,t}^L * \kappa * l_{i,t} + y_{i,t}^{NL}(\text{age}_{i,t}, l_{i,t}, S_{i,t}, \text{EDUC}_i) - c_{i,t} \quad (4)$$

$$A_{i,t} \geq BC_t \text{ where } \sum_{t=1}^T BC_i = \frac{BC_{t+1}}{1+r} - y_{min} + c_{min} \quad (5)$$

## ■ Labour Income. For a given $Y_{ij,0}$

$$\ln(y_{i,t}^L) = \iota_1^L + \iota_2^L * \text{EDUC}_i + \iota_3^L * (S_{it} = 3) + \Upsilon_{i,t} \quad (6)$$

$$\Upsilon_{i,t} = \rho \Upsilon_{i,t-1} + u_{i,t}$$

$$u_{i,t} \sim N(0, \sigma_u) \quad (7)$$

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## Asset Accumulation and Income II

### ■ Non-Labour Income

$$\ln(y_{i,t}^L) = \iota_1^L + \iota_2^L * EDUC_i + \iota_3^L * (S_{it} = 3) + \Upsilon_{i,t} \quad (8)$$

$$\Upsilon_{i,t} = \rho \Upsilon_{i,t-1} + u_{i,t}$$

$$u_{i,t} \sim N(0, \sigma_u)$$

$$\begin{aligned} \ln(y_{it}^{NL}) = & \iota_1 + \iota_2 * EDUC_i + (\iota_3 + \iota_4 * EDUC_i) * [\text{age} \geq 65] \\ & + \iota_5 * (\text{age} - 50) * (\text{age} < 65) + [\iota_6(\text{age}_{it} - 65) + \iota_7(\text{age}_{it} - 65)^2] * [\text{age} \geq 65] \\ & + [\iota_8 + \iota_9 * EDUC_i + \iota_{10} * (\text{age} \geq 65)] * I_{it} \\ & + [(\iota_{11} * (I_{it} = 1) + \iota_{12} * (I_{it} = 2)) \ln(y_{it}^L)] * [\text{age} \geq 65] \\ & + [\iota_{13} + (\iota_{14} + \iota_{15} * (\text{age} \geq 65)) * (I_{it} = 1)] * [S_{it} = 3] \end{aligned} \quad (9)$$

# Health States Transition I

- The transition matrix is governed by a logistic processes

$$xb2(t, H_t) = \tau_{21} * age_{it} + \tau_{22} * age_{it}^2 + \tau_{23} * \ln(H_{it}) + \tau_{24} * SES_i + \tau_{25} \quad (10)$$

$$xb3(t, H_t, s) = \tau_{3,s,1} * age_{it} + \tau_{3,s,2} * age_{it}^2 + \tau_{3,s,3} * \ln(H_{it}) + \tau_{3,s,4} * SES_i + \tau_{3,s,5}$$

$$xb4(t, H_t, s) = \tau_{4,s,1} * age_{it} + \tau_{4,s,2} * age_{it}^2 + \tau_{4,s,3} * \ln(H_{it}) + \tau_{4,s,4} * SES_i + \tau_{4,s,5}$$

- In states 1 to 2, transitions can be represented as a multinomial logistic process. In 3, it simplifies to a logit process. Example:

$$Pr(S_{t+1} = 3 | t, H_t, S_t = 1) = \frac{\exp(xb3(t, H_t, S_t = 1))}{1 + \exp(xb2(t, H_t)) + \exp(xb3(t, H_t, S_t = 1)) + \exp(xb4(t, H_t, S_t = 1))} \quad (11)$$

## Health States Transition III

- The index  $H$  is modelled as composed by a transitory  $H^{tra}$  and a permanent  $H^{per}$  component.
- The effect of medication  $h_{it}$  is transitory
- Lifetime investments (diet, smoking, etc.) are reflected on initial heterogeneity on the permanent component

$$H_{i,t} = H_{i,t}^{per} + H_{i,t}^{tra} \quad (12)$$

$$H_{i,t}^{per} = \omega_1 H_{i,t-1}^{per} + \omega_2 + \omega_3 EDUC_i + e_{i,t} \quad (13)$$

$$H_{i,t}^{tra} = \omega_4 h_{it} + \omega_{5,s} \quad (14)$$

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## Solve the problem

- The problem is solved recursively
- Assume  $V_{T+1} = b(A_T)$ , where  $T = 48$  (age 100)
- Using the Bellman equation (if alive):

$$\begin{aligned}
 V(A, H, S, \Upsilon; X, \epsilon_h) &= \max \{ V_{h=1} + \epsilon_1, V_{h=0+\epsilon_0} \} & (15) \\
 V_h &= \operatorname{argmax}_{(c,l)} u(c, l, h) \\
 &\quad + \beta E_{e', s', u', \epsilon'_h} [V'(A'(c, l), H'(h, e'), s, \Upsilon'(u'); X)]
 \end{aligned}$$

- A set of policy functions  $A', l, h$  is derived

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# Parameters

Parameter	Value	Parameter	Value
<b>Utility</b>		<b>Non-labour Income</b>	
$\beta$	Discount factor ( <b>Cal</b> )	$\iota_1$	Constant
$\eta$	Importance of consumption in utility	$\iota_2$	EDUC
$\gamma$	Relative risk aversion ( <b>Cal</b> )	$\iota_3$	Age $\geq 65$
$\theta_p$	Disutility of participation	$\iota_4$	Age $\geq 65$ * EDUC
$\phi_1$	Disutility of bad health while working	$\iota_5$	(Age < 65) * (Age - 50)
$\theta_B$	Bequest importance	$\iota_6$	(Age $\geq 65$ ) * (Age - 65)
$\theta_K$	Base for not leaving bequest penalty ( <b>Cal</b> )	$\iota_7$	(Age $\geq 65$ ) * (Age - 65) <sup>2</sup>
$\phi_2$	Additional disutility of bad health while PT	$\iota_8$	Hours of work
$\phi_3$	Cost of CVD-prevention investment	$\iota_9$	Hours of work * EDUC
<b>Earnings per hour</b>		$\iota_{10}$	Hours of work * Age $\geq 65$
$\sigma_u$	Variance innovations	$\iota_{11}$	Age $\geq 65$ * $Y^L$ * Not work
$\rho$	Persistence innovations	$\iota_{12}$	Age $\geq 65$ * $Y^L$ * Part-time
$\iota_1^L$	EDUC	$\iota_{13}$	CVD
$\iota_2^L$	To be in State 3	$\iota_{14}$	CVD * Not work
$\iota_3^L$	Mean	$\iota_{15}$	CVD * Not work * Age $\geq 65$